
PRACTICE 5

EXERCISE 1: CENTRAL LIMIT THEOREM

The distribution of the random variable sum tends to a normal (Gaussian) distribution, the more so the larger the number of variables considered.

- a) Generate N data ($N = 10$) from a uniform distribution between 0 and 1.

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N = 10;  
X = rand(1,N);
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- b) Calculate the average of the 10 values.
- c) Repeat steps a) and b) a million times. How is the average value distributed (ie, how is the histogram divided by the number of elements)?
- d) Repeat steps a), b) and c) with $N = 100$, $N = 1000$ and $N = 10000$.
- e) Compare the histograms obtained in c) and d) How are their means? And their variances?
- f) Repeat steps a) to e) for other than uniform (chi2rnd, frnd, rand.^2, etc.) distributions. What happens to the distribution of the mean?